$\qquad$

(A)

(B)

(C)

Which of these street grids has (a) an Euler Circuit? $\qquad$ (b) a Hamiltonian Cycle? $\qquad$ If it has a Hamiltonian Cycle, show it below.
If it does not, can you explain why it does not? (Hint: consider the checkerboard "twocolorinig" of the vertices shown below. for the 3 by 3 grid. Why must any cycle alternate colors? What will that do to the overall cycle?)
(c) If a grid does not have an Euler circuit, "Eulerize it" by adding the fewest number of "double-back streets" (multiple edge streets) that you can in the diagram above. A multiple edge looks like this:

| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 |  | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |

