Math 1A	9:30am - 10:20am)
Group Qu	iz 3
Tue Jan 2	6, 2009

Group Members' Names: [Use the name you asked to be called |

SCORE: / 10 POINTS

SCORE: / 4 POINTS Find all discontinuities for the following function. Determine whether each discontinuity is removable, jump or infinite. Show proper algebraic work and write using proper notation as shown in class.

$$f(x) = \begin{cases} 3x+1 & \text{if } x < -2 \\ 1-2x^{-1} & \text{if } -2 < x < 1 \\ 4x-5 & \text{if } x \ge 1 \end{cases}$$

$$\lim_{x \to -2^{-}} f(x) = \lim_{x \to 0^{-}} (3x+1) = -5$$

$$\lim_{x \to -2^{+}} f(x) = \lim_{x \to 0^{+}} (3x+1) = -5$$

$$\lim_{x \to -2^{+}} f(x) = \lim_{x \to 0^{+}} (-2x^{-1}) = 2$$

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Find all asymptotes for the following function. For each vertical asymptote, determine both one-sided limits. SCORE: /3 POINTS Show proper algebraic work and write using proper notation as shown in class.

$$f(x) = \frac{11 - 7(0.2^{x})}{17(0.2^{x}) + 13}$$
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Prove that the equation $e^x = x^2$ has a solution in the interval [-1, 1]. Show proper justification.

SCORE: /3 POINTS

LET f(x) = ex-x2 SINCE ex AND X2 ARE CONTINUOUS, SO IS ex-X2 f(-1)= e'-1= = -120 f(1) = e - 1 > 0 f(-1) < D < f(1) BY IVT, THERE IS A VALUE CE(-1,1) SUCH THAT ec-c=0