Math 1A (7:30am – 8:20am)
Quiz 3 Version A
Fri Apr 22, 2011

What month is your birthday? What are the first 2 digits of your address? What are the last 2 digits of your zip code? What are the last 2 digits of your DeAnza ID number?

SCORE: ___/30 POINTS

NO CALCULATORS ALLOWED

SHOW PROPER ALGEBRAIC WORK (USING THE THEOREMS IN 5.3 & 5.4) **USE PROPER NOTATION & SIMPLIFY ALL ANSWERS WHERE REASONABLE**

State both parts of the Fundamental Theorem of Calculus.

Use complete sentences and proper algebra & English as shown in class.

SCORE: ___/ 4 POINTS

SEE 7:30 VERSION L

The velocity of an object at time t (in seconds) is given by $v(t) = 1 - t^2$ meters per second.

SCORE: /5 POINTS

Find the displacement of the object from t = 0 to t = 3. Specify the units of your answer. [a]

$$\int_{0}^{3} (1-t^{2}) dt = (t-\frac{1}{3}t^{3})\Big|_{0}^{3} = 3-9 = -6m$$

Find the total distance travelled by the object from t = 0 to t = 3. Specify the units of your answer. [b]

$$\int_{0}^{3} (1-t^{2}) dt = \int_{0}^{3} (1-t^{2}) dt + \int_{1}^{3} -(1-t^{2}) dt, \quad |\frac{1}{2}| = (t-\frac{1}{2}t^{3})|_{0}^{3} + -(t-\frac{1}{2}t^{3})|_{1}^{3} = (1-\frac{1}{2})^{3} + -[(3-9)-(1-\frac{1}{2})] = \frac{23}{3}m$$

Find
$$\int_{1}^{2} \frac{(2+r)^2}{4r^3} dr$$
.

SCORE: ___/ 5 POINTS

$$= \int_{1}^{2} \frac{4+4r+r^{2}}{4r^{3}} dr$$

=
$$\int_{1}^{2} (r^{3} + r^{2} + 4r^{2}) dr$$

= $\left(-\frac{1}{2}r^{2} - r^{-1} + 4|n|r|\right)|_{1}^{2} = \frac{2}{1} POINTS IF ALL 3 TERMS CORRECT
ANY 2
0 0 or 1$

MULTIPLE CHOICE: CIRCLE THE CORRECT ANSWER

If you write $\lim_{n\to\infty}\sum_{k=1}^{n}\frac{1}{n}\left(2+\frac{k}{n}\right)^{-3}$ as a definite integral, the value of the integral (and the limit) is $\int_{-3}^{3} x^{-3} dx = -\frac{1}{2}x^{-2} \int_{-3}^{3} x^{-3} dx$

Find
$$\int (x^2 + 2x) \sin(x^3 + 3x^2 - 1) dx$$
.

$$\frac{U=X^{3}+3x^{2}-1,\frac{1}{2}}{dU=(3x^{2}+6x)dx} = \frac{1}{2} \leftarrow ONLY NEED ONE OF THE TWO LIMES TO GET THAT \frac{1}{2} POINT
 \[\int_{3}^{2} \sin_{0} \cdot \cdot \cdot \cdot \frac{1}{2} \cdot \cdot$$

Find the derivative of
$$\int_{0}^{\infty} \sqrt{t^2 - 1} dt$$
. Show each step CLEARLY as demonstrated in class.

Find the derivative of
$$\int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt$$
. Show each step CLEARLY as demonstrated in class. SCORE $\frac{d}{dx} \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{x^4} \sqrt{t^2 - 1} dt + \int_{x^4}^{\cosh x} \sqrt{t^2 - 1} dt \right] = \frac{d}{dx} \left[\int_{x^4}^{$

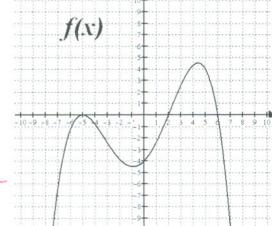
The graph of f is shown on the right. Let $g(x) = \int f(t) dt$.

[a] Find
$$g'(5)$$
. Justify your answer VERY BRIEFLY.

$$19'(5) = f(5) = 4$$

At what value(s) of x does g have a local minimum (minima)? [b]

Is g concave up or concave down on the interval (-7, -



Explain very briefly. Answers without explanations will earn no points.

