

Fluids, Thermodynamics, Waves, & Optics Lab 1 Buoyancy

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Overview

- Brief discussion of laboratory work
- Theory: Buoyancy
- Procedure

Why we do lab work

To confirm or disprove hypotheses

To get insights for new hypotheses, by hands on experience

Assessment

- lab worksheets each week assessment in groups, and sometimes individual questions
- final week may have a special project (?)

Doing the Labs

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I will move between breakout rooms to check in with you and answer questions.

Doing the Labs: Roles

It is hard to look at many files and applications on one screen, so work together.

Three roles, one for each person:

- "director" reads the instruction sheet out loud to the others and says what to do
- "operator" runs the PhET sim while sharing their screen to the group, so everyone can see what's happening
- "recorder" records experimental values and writes and uploads the Canvas Assignment. This person should share their screen while you discuss the answers to the questions.

Each week, change who does which role.

Theory: Buoyancy

Astronauts training in their spacesuits:



The total mass of NASA's EMU (extravehicular mobility unit) is 178 kg. Why does training underwater make maneuvering in the suits easier?

¹Picture from Hubblesite.org.

The apparent weight of a submerged object is less than its full weight.



There is an upward force on an object in a fluid called the **buoyant** force.

For an object that would float, but is held underwater, its apparent weight is negative!



In that case, the **buoyant force** is larger than the weight of the object.

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There will be a net upward force from the pressure difference!

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$$F_{B} = F_{up} - F_{down}$$

= $(P_{0}A + \rho g(h + d)A) - (P_{0}A + \rho g d A)$
= $\rho g h A$
= $\rho g V_{obj}$

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Notice that $\rho V_{obj} = m_f$, the mass of the displaced fluid.

(We are assuming ρ is constant.)

Archimedes' Principle

The buoyant force on an object is equal to the weight of the fluid that the object displaces.

Logically, if a brick falls to the bottom of a pool it must push an amount water equal to its volume up and out of the way.



For a fully submerged object the buoyant force is:

$$F_{\rm B} =
ho_{\rm f} V_{\rm obj} g$$

where ρ_{f} is the mass density of the fluid and \textit{V}_{obj} is the volume of the object.

 $\rho_{\rm f} V_{\rm obj}$ is the mass of the water moved aside by the object.

An object that floats will displace less fluid than its entire volume.



For a floating object:

 $F_{\rm B} = \rho_{\rm f} V_{\rm sub} g$

where V_{sub} is the volume of the *submerged* part of the object only.

In general, we can write:

$$F_{\rm B} =
ho_{\rm f} V_{
m sub} g$$

where $V_{\rm sub}$ is the volume of the *submerged* part of the object only.

However, if the object is completely submerged, then $V_{sub} = V_{obj}$.

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It sinks if its weight, F_g , is greater than the weight of the fluid it can displace.



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- If the object is *less dense* than the fluid it will float.
- If the object is *more dense* than the fluid it will sink.
- If the object and the fluid have the same density if will neither float or sink, but drift at equilibrium.

Since the *relative* density of the object to the fluid determines whether it will sink or float, we sometimes use the notion of **specific gravity**.

The specific gravity of an object relates its density to the density of water (or occasionally other liquids):



Often referenced in brewing!

A floating object displaces a mass of fluid equal to its own mass!

(Equivalently, a weight of fluid equal to its own weight.)

This also means that $\rho_{\rm f} V_{\rm sub} = m_{\rm obj}$.



Military ships are often compared by their *displacements*, the weight (or mass, depending on context) of water they displace.

The USS Enterprise was an aircraft carrier (now decommissioned).

Displacement: 94,781 tonnes (metric tons), fully loaded.

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Buoyancy in air works the same way as in liquids:

$$F_{
m buoy} =
ho_{
m f} V_{
m obj} \, g$$

If an object is less dense than air, it will float upwards.

However, in the atmosphere, the density of air varies with height.



¹Photo by Derek Jensen, Wikipedia.

By roughly how much is your weight reduced by the effects of the air you are submerged in?

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(In the Phet sim, this is neglected!)

Doing the Lab

We'll split into breakout rooms.

Load up the Buoyancy PhET sim and try it out!