# Conceptual Physics Sound Waves 

 Electricity and MagnetismLana Sheridan<br>De Anza College

August 2, 2017

## Last time

- heat engines
- waves
- oscillations
- interference
- standing waves


## Overview

- Doppler effect
- bow waves
- sound
- electric charge
- electric field


## The Doppler Effect

Waves from approaching sources seem to have higher frequency than waves from stationary sources.

Waves from receding sources seem to have lower frequency than waves from stationary sources.

The Doppler Effect for a Moving Sound Source


## The Doppler Effect

How much does the frequency change?

$$
f_{D}=\frac{v}{v+v_{s}} f_{s}
$$

where $v$ is the speed of the wave, $f_{s}$ is the frequency emitted by the source, and $f_{D}$ is the frequency detected by a stationary detector.
$v_{s}$ is the speed of the wave source: here we use the convention that $v_{s}$ is negative if the source is approaching us and positive if it is moving away from us.

## The Doppler Effect Question

A police car has a siren tone with a frequency at 2.0 kHz .
It is approaching you at $28 \mathrm{~m} / \mathrm{s}$. What frequency do you hear the siren tone as?

Now it has passed by and is moving away from you. What frequency do you hear the siren tone as now?

## The Doppler Effect and Astronomy


${ }^{1}$ Image from Wikipedia by Georg Wiora.

## Bow Waves and Shock Waves

Bow waves and shock waves can be detected by nearby observers when the speed of the wave source exceeds the speed of the waves.

$v$ less than $v_{w}$

$v$ equals $v_{w}$

$v$ exceeds $v_{w}$

$v$ greatly exceeds $v_{\text {w }}$

82010 Pearson Education, Inc.

This effect happens when an aircraft transitions from subsonic flight to supersonic flight.
${ }^{1}$ Figure from Hewitt, 11ed.

## Bow waves



## Supersonic transition



## Sound

Sound is a longitudinal wave, formed of pressure fluctuations in air.

At sea level at $20^{\circ} \mathrm{C}$, sound travels at $343 \mathrm{~m} / \mathrm{s}$.
All sound waves will travel at this speed relative to the rest frame of the air.

$$
v=f \lambda
$$

A low frequency means a longer wavelength.
${ }^{1}$ In higher layers, the speed of sound varies with the temperature.

## Sound

Sound is a longitudinal wave, formed of pressure fluctuations in air.

At sea level at $20^{\circ} \mathrm{C}$, sound travels at $343 \mathrm{~m} / \mathrm{s}$.
All sound waves will travel at this speed relative to the rest frame of the air.

$$
v=f \lambda
$$

A low frequency means a longer wavelength.

Sound can travel at different speeds in other materials. It travels faster in water, and slower at higher altitudes in the atmosphere (troposphere layer). ${ }^{1}$
${ }^{1}$ In higher layers, the speed of sound varies with the temperature.

## Standing Waves and Resonance



Standing wave motions are called normal modes.

## normal mode

A pattern of motion in a physical system where all parts of the system move sinusoidally with the same frequency and with a fixed phase relation.

## Standing Waves and Resonance on a String



```
Second harmonic
```



Third harmonic


The natural frequencies of a string are given by:

$$
f_{n}=\frac{n v}{2 L}
$$

where $n$ is a positive natural number, $L$ is the length of the string, and $v$ is the speed of the wave on the string.

A long string has a low fundamental frequency.
A short string has a high fundamental frequency.

## Standing Waves and Resonance on a String

When a string is plucked, resonant (natural) frequencies tend to persist, while other waves at other frequencies are quickly dissipated.

Stringed instruments like guitars can be tuned by adjusting the tension in the strings.

Changing the tension changes the speed of the wave on the string. That changes the natural frequencies.

While playing, pressing a string against a particular fret will change the string length, which also changes the natural frequencies.

## Standing Sound Waves in air columns

First harmonic


$$
\begin{aligned}
\lambda_{1} & =2 L \\
f_{1} & =\frac{v}{\lambda_{1}}=\frac{v}{2 L}
\end{aligned}
$$

Standing sound waves can be set up in hollow tubes.

This is the idea behind how pipe organs, clarinets, didgeridoos, etc. work.

Third harmonic


$$
\begin{aligned}
& \lambda_{3}=\frac{2}{3} L \\
& f_{3}=\frac{3 v}{2 L}=3 f_{1}
\end{aligned}
$$

${ }^{1}$ Figure from Serway \& Jewett, page 547.

## Musical Instruments

Didgeridoo:


Longer didgeridoos have lower pitch, but tubes that flare outward have higher pitches this can also change the spacing of the resonant frequencies.
${ }^{1}$ Matt Roberts via Getty Images.

## Musical Instruments, Pipe Organ

The longest pipes made for organs are open-ended 64-foot stops (tube is effectively 64 feet+ long). There are two of them in the world. The fundamental frequency associated with such a pipe is 8 Hz .


32 ' stops give 16 Hz sound, 16 ' stops give $32 \mathrm{~Hz}, 8$ ' stops give 64 Hz , etc.
${ }^{1}$ Picture of Sydney Town Hall Grand Organ from Wikipedia, user Jason7825.

## Musical Instruments



In general, larger instruments can create lower tones, whether string instruments or tube instruments.
${ }^{1}$ Halliday, Resnick, Walker, 9th ed, page 458.

## Decibels: Scale for Sound Level

The ear can detect very quiet sounds, but also can hear very loud sounds without damage. (Very, very loud sounds do damage ears.)

As sound wave that has twice the energy does not "sound like" it is twice as loud.

Many human senses register to us on a logarithmic scale.

Decibels (dB) is the scale unit we use to measure loudness / sound level.

Roughly, a noise sounds twice as loud if its sound level is increased by 10 dB , or it has 10 times the energy.

## Perception of Loudness and Frequency

Human hearing also depends on frequency.
Humans can only hear sound in the range $20-20,000 \mathrm{~Hz}$.


Low frequency sounds need to be louder to be heard.
${ }^{1}$ Figure from R. L. Reese, University Physics, via Serway \& Jewett.

## Sound

Sound waves can cause resonant vibrations in objects that will oscillate with the same frequency.
(Tuning forks!)

Sound waves can also interfere just like other waves.

## Beats

Two sound waves with slightly different frequencies interfere to form beats.

These are louder and quieter variations in sound level.
Amplitude vs $t$ at a fixed position:


## Beats

Thus the frequency of the beats is

$$
f_{\text {beat }}=\left|f_{1}-f_{2}\right|
$$

If $f_{1}$ and $f_{2}$ are similar the beat frequency is much smaller than either $f_{1}$ or $f_{2}$.

## Beats

Thus the frequency of the beats is

$$
f_{\text {beat }}=\left|f_{1}-f_{2}\right|
$$

If $f_{1}$ and $f_{2}$ are similar the beat frequency is much smaller than either $f_{1}$ or $f_{2}$.

Humans cannot hear beats if $f_{\text {beat }} \gtrsim 30 \mathrm{~Hz}$.
If the two frequencies are very different we hear a chord.
If the two frequencies are very close, we hear periodic variations in the sound level.

This is used to tune musical instruments. When instruments are coming into tune with each other the beats get less and less frequent, and vanish entirely when they are perfectly in tune.

## More complex sounds

Different musical instruments make different waveform patterns.


Tuning fork


Flute
More than one frequency is sounded.

## More complex sounds




## More complex sounds



Flute


## More complex sounds



Clarinet


## Example: Square Wave

Two frequencies $f$ and $3 f$.


Three frequencies, $f, 3 f$, and $5 f$.


## Electric Charge

Charge is an intrinsic (essential) property of subatomic particles.

Examples of charged particles:

- protons (positively charged)
- electrons (negatively charged)

Static electric charge can be experienced on a large scale through static electricity.

## Electrostatic force

Charged objects exert a force (the electrostatic force) on one another.

Charges with the same electrical sign repel each other.
Charges with opposite electrical signs attract each other.

The unit for charge is the Coulomb, written with the symbol C.

## Induced Charge Polarization



## Conductors and Insulators

Some materials allow charges to flow through them easily, some do not.

## Conductors and Insulators

Some materials allow charges to flow through them easily, some do not.

## Conductors

materials through which charge can move readily

## Insulators <br> (also called nonconductors) are materials that charge cannot move through freely

## Induced Charge

If a conductor is brought close to a charged object, positive and negative charges in the conductor start to separate and we say a charge is induced on the conductor.


Overall, the conductor is neutral, but it is still attracted to the charged object.

## Question

$A, B$, and $D$ are charged pieces of plastic. $C$ is an electrically neutral copper plate.


Plates $C$ and $D$
(A) attract each other
(B) repel each other
${ }^{1}$ Page 564, Halliday, Resnick, Walker, 9th ed.

## Question

$A, B$, and $D$ are charged pieces of plastic. $C$ is an electrically neutral copper plate.


Plates $C$ and $D$
(A) attract each other $\leftarrow$
(B) repel each other
${ }^{1}$ Page 564, Halliday, Resnick, Walker, 9th ed.

## Question

$A, B$, and $D$ are charged pieces of plastic. $C$ is an electrically neutral copper plate.


Plates $B$ and $D$
(A) attract each other
(B) repel each other
${ }^{1}$ Page 564, Halliday, Resnick, Walker, 9th ed.

## Question

$A, B$, and $D$ are charged pieces of plastic. $C$ is an electrically neutral copper plate.


Plates $B$ and $D$
(A) attract each other $\leftarrow$
(B) repel each other
${ }^{1}$ Page 564, Halliday, Resnick, Walker, 9th ed.

## Electrostatic Forces

For a pair of point-particles with charges $q_{1}$ and $q_{2}$, the magnitude of the force on each particle is given by Coulomb's Law:

$$
F_{1,2}=\frac{k q_{1} q_{2}}{r^{2}}
$$

$k$ is the electrostatic constant and $r$ is the distance between the two charged particles.
$k=\frac{1}{4 \pi \epsilon_{0}}=8.99 \times 10^{9} \mathrm{~N} \mathrm{~m}^{2} / \mathrm{C}^{2}$

## Coulomb's Law

$$
\mathbf{F}_{1 \rightarrow 2}=\frac{k q_{1} q_{2}}{r^{2}} \hat{\mathbf{r}}_{1 \rightarrow 2}
$$



> When the charges are of opposite signs, the force is attractive.

${ }^{1}$ Figure from Serway \& Jewett, Physics for Scientists and Engineers, 9th ed.

## Electrostatic Constant

The electrostatic constant is: $k=\frac{1}{4 \pi \epsilon_{0}}=8.99 \times 10^{9} \mathrm{~N} \mathrm{~m}^{2} \mathrm{C}^{-2}$
$\epsilon_{0}$ is called the permittivity constant or the electrical permittivity of free space.

$$
\epsilon_{0}=8.85 \times 10^{-12} \mathrm{C}^{2} \mathrm{~N}^{-1} \mathrm{~m}^{-2}
$$

## Conservation of Charge

Charge can move from one body to another but the net charge of an isolated system never changes.

This is called charge conservation.

## Conservation of Charge

Charge can move from one body to another but the net charge of an isolated system never changes.

This is called charge conservation.

What other quantities are conserved?

## Fields

Just as with gravity in Chapter 9:

## field

A field is any kind of physical quantity that has values specified at every point in space and time.

In EM we have vector fields. The electrostatic force is mediated by a vector field.

## vector field

A field is any kind of physical quantity that has values specified as vectors at every point in space and time.

## Fields

A force-field can be used to figure out the interaction that particular particle will have with other objects in its environment.

Imagine a charge $q_{0}$. We want to know the force it would feel if we put it at a specific location.

## Fields

A force-field can be used to figure out the interaction that particular particle will have with other objects in its environment.

Imagine a charge $q_{0}$. We want to know the force it would feel if we put it at a specific location.

The electric field $\mathbf{E}$ at that point will tell us that!

$$
\mathbf{F}=q_{0} \mathbf{E}
$$

## Fields

The source of the field could be another charge.
We do not need a description of the sources of the field to describe what their effect is on our particle. All we need to know if the field!

## Fields

The source of the field could be another charge.
We do not need a description of the sources of the field to describe what their effect is on our particle. All we need to know if the field!

This is also true for gravity. We do not need the mass of the Earth to know something's weight:

$$
\mathbf{F}_{G}=m_{0} \mathbf{g} \quad \mathbf{F}_{E}=q_{0} \mathbf{E}
$$

## Force from a Field



$$
\mathbf{F}=q_{0} \mathbf{E}
$$

but also:

$$
\mathbf{E}=\frac{\mathbf{F}}{q_{0}}
$$

${ }^{1}$ Figure from Halliday, Resnick, Walker.

## Field Lines

Fields are drawn with lines showing the direction of force that a test particle will feel at that point. The density of the lines at that point in the diagram indicates the approximate magnitude of the force at that point.


## Field Lines

The electrostatic field caused by an electric dipole system looks something like:


Notice that the lines point outward from a positive charge and inward toward a negative charge.
${ }^{1}$ Figure from Serway \& Jewett

## Field Lines

Imagine an infinite sheet of charge. The lines point outward from the positively charged sheet.

${ }^{1}$ Figure from Halliday, Resnick, Walker.

## Field Lines

Compare the electrostatic fields for two like charges and two opposite charges:


## Field Lines

Compare the fields for gravity in an Earth-Sun system and electrostatic repulsion of two charges:

${ }^{1}$ Gravity figure from http://www.launc.tased.edu.au ; Charge from Halliday, Resnick, Walker

## E-Field Question

Which of the following could be the charge on the particle hidden by the question mark?

(A) 0 C
(B) -1 C
(C) $-1.6 \times 10^{-19} \mathrm{C}$
(D) $+1 \mu \mathrm{C}$
${ }^{1}$ Figure from Halliday, Resnick, Walker

## E-Field Question

Which of the following could be the charge on the particle hidden by the question mark?

(A) 0 C
(B) -1 C
(C) $-1.6 \times 10^{-19} \mathrm{C}$
(D) $+1 \mu \mathrm{C} \leftarrow$
${ }^{1}$ Figure from Halliday, Resnick, Walker

## Field from a Point Charge

Remember, if $q_{0}$ is a test charge, $\mathbf{E}=\frac{\mathbf{F}}{q_{0}}$.
We want an expression for the electric field from a point charge, $q$.
Using Coulomb's Law the force on the test particle is $\mathbf{F}_{\rightarrow 0}=\frac{k q q_{0}}{r^{2}} \hat{\mathbf{r}}$.

$$
\mathbf{E}=\left(\frac{1}{q_{0}}\right) \frac{k q q_{0}}{r^{2}} \hat{\mathbf{r}}
$$

The field at a displacement $\mathbf{r}$ from a charge $q$ is:

$$
\mathbf{E}=\frac{k q}{r^{2}} \hat{r}
$$

## Field from a Point Charge Example

What is the magnitude of the electric field 1 cm from a $2 \mu \mathrm{C}$ charge?

Does the field point towards or away from the charge?

## Electric field due to an Infinite Sheet of Charge

Consider an infinite sheet of charge.

The field from this sheet is uniform! It does not matter how far a point $P$ is from the sheet, the field is the same.


## Millikan's Oil Drop Experiment: Measuring e

Units of field: N/C

Problem 10, page 403.
(a) If a drop of mass $1.1 \times 10^{-14} \mathrm{~kg}$ remains stationary in an electric field of $1.68 \times 10^{5} \mathrm{~N} / \mathrm{C}$, what is the charge on this drop?
(b) How many extra electrons are on this particular oil drop?

## Millikan's Oil Drop Experiment: Measuring e



## Summary

- Doppler effect
- bow waves
- sound
- electric charge
- electric field


## Homework

- Prepare a 5-8 minute talk for next week. Tuesday, Aug 8.
- Essay question (Due tomorrow)
- Waves worksheet (Due Monday)
- 2 new worksheets: Coulomb's law \& E-field (due Monday)

Hewitt,

- Ch 19, onward from page 347. Exercises: 35
- Ch 20, onward from page 365. Exercises: 1, 3; Problems: 1, 3, 7
- Ch 22, onward from page 403. Exercises: 3, 41; Problems: 1, 3

