

1. A bicycle safety organization claims that fatal bicycle accidents are uniformly distributed throughout the week. The table shows the day of the week for which 911 randomly selected fatal bicycle accidents occurred. At $\alpha = 0.10$, can you reject the claim that the distribution is uniform?

<p>(a) (DESIGN) State your Hypothesis</p> <p>Ho: $p_1=p_2=p_3=p_4=p_5=p_6=p_7$ Ha: at least on p_i is different.</p>	<p>(d) (DATA) Conduct the test and circle your decision</p> <table><tr><th>Survey</th><th>Observe</th><th>pi</th><th>Expected</th><th>ChiSq</th></tr><tr><td>Sunday</td><td>118</td><td>0.143</td><td>130.143</td><td>1.133</td></tr><tr><td>Monday</td><td>119</td><td>0.143</td><td>130.143</td><td>0.954</td></tr><tr><td>Tuesday</td><td>127</td><td>0.143</td><td>130.143</td><td>0.076</td></tr><tr><td>Wednesday</td><td>137</td><td>0.143</td><td>130.143</td><td>0.361</td></tr><tr><td>Thursday</td><td>129</td><td>0.143</td><td>130.143</td><td>0.010</td></tr><tr><td>Friday</td><td>146</td><td>0.143</td><td>130.143</td><td>1.932</td></tr><tr><td>Saturday</td><td>135</td><td>0.143</td><td>130.143</td><td>0.181</td></tr><tr><td>Total</td><td>911</td><td>0.143</td><td>911.000</td><td>4.648</td></tr></table> <p>4.648<10.645 Fail to Reject Ho</p>	Survey	Observe	pi	Expected	ChiSq	Sunday	118	0.143	130.143	1.133	Monday	119	0.143	130.143	0.954	Tuesday	127	0.143	130.143	0.076	Wednesday	137	0.143	130.143	0.361	Thursday	129	0.143	130.143	0.010	Friday	146	0.143	130.143	1.932	Saturday	135	0.143	130.143	0.181	Total	911	0.143	911.000	4.648
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<p>(b) (DESIGN) State Significance Level of the test and explain what it means.</p> <p>$\alpha=.10$, the maximum probability of making Type I error, which would be incorrectly claiming bike accidents are not uniformly distributed.</p>	<p>(e) (CONCLUSION) State your overall conclusion in language that is clear, relates to the original problem and is consistent with your decision.</p> <p>Insufficient evidence to conclude that bicycle accidents are not uniformly distributed.</p>																																													
<p>(c) (DESIGN) Determine the statistical model . Determine decision rule (critical value method)</p> $\chi^2 = \frac{(O_i - E_i)^2}{E_i}$ <p>df = 6</p> <p>Reject Ho if $\chi^2 > 10.645$</p>																																														

2. Results from a survey five years ago asking where coffee drinkers typically drink their first cup of coffee are shown in the graph. To determine whether this distribution has changed, you randomly select 581 coffee drinkers and ask each where they typically drink their first cup of coffee. The results are shown in the table. Can you conclude that there has been a change in the claimed or expected distribution? Use $\alpha = 0.05$.

<p>(a) (DESIGN) State your Hypothesis</p> <p>Ho: $p_1=.70$ $p_2=.17$ $p_3=.08$ $p_4=.05$ Ha: at least on p_i is different</p>	<p>(d) (DATA) Conduct the test and circle your decision</p>																														
<p>(b) (DESIGN) State Significance Level of the test and explain what it means.</p> <p>$\alpha=.05$, the maximum probability of making Type I error, which would be incorrectly claiming that there has been a change in coffee drinking.</p>	<div><table><thead><tr><th>Survey</th><th>Observe</th><th>p_i</th><th>Expected</th><th>ChiSq</th></tr></thead><tbody><tr><td>Home</td><td>389</td><td>0.7</td><td>406.70</td><td>0.770</td></tr><tr><td>Work</td><td>110</td><td>0.17</td><td>98.77</td><td>1.277</td></tr><tr><td>Commute</td><td>55</td><td>0.08</td><td>46.48</td><td>1.562</td></tr><tr><td>Rest/Other</td><td>27</td><td>0.05</td><td>29.05</td><td>0.145</td></tr><tr><td>Total</td><td>581</td><td></td><td>581.00</td><td>3.754</td></tr></tbody></table><p style="text-align: center;">$3.754 < 7.815$ Fail to Reject Ho</p></div> <p>(e) (CONCLUSION) State your overall conclusion in language that is clear, relates to the original problem and is consistent with your decision</p> <p>Insufficient evidence to conclude that coffee drinking habits have changed.</p>	Survey	Observe	p_i	Expected	ChiSq	Home	389	0.7	406.70	0.770	Work	110	0.17	98.77	1.277	Commute	55	0.08	46.48	1.562	Rest/Other	27	0.05	29.05	0.145	Total	581		581.00	3.754
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<p>(d) (DESIGN) Determine the statistical model .</p> <p>Determine decision rule (critical value method)</p> $\chi^2 = \frac{(O_i - E_i)^2}{E_i}$ <p>df = 4</p> <p>Reject Ho if $\chi^2 > 7.815$</p>																															